

PART B — (5 × 13= 65 marks)

11. (a) Draw a Deterministic Finite Automata recognizing the language containing string that are multiples of 4 when represented in binary. Test your DFA using any two strings of the language.

Or

- (b) Draw a Deterministic Finite Automata recognizing the language corresponding to the regular expression $(a + bca^*)^*$. Test your DFA using any two strings of the language.

12. (a) Prove the following statement with justification.
“The language $L = \{a^i b^j c^i \mid i, j > 0\}$ is not regular”.

Or

- (b) Minimize the given automata, G. [Refer Figure. 12(b)]

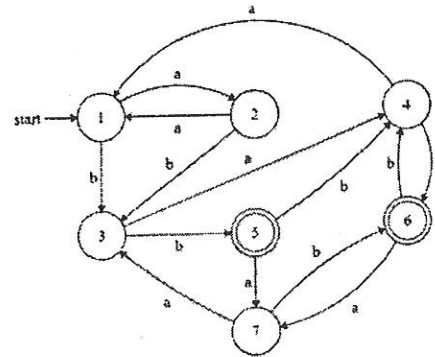


Figure. 12(b)

13. (a) Examine whether the language, $L = \{a^n b^p c^n d^{2p} \mid n > 0\}$ can be designed using Pushdown automation. Justify your answer.

Or

- (b) Examine whether the language, $L = \{a^{2n} b^p c^{2n} \mid n > 0\}$ can be designed using Pushdown automation. Justify your answer.

14. (a) Convert the following grammar to be in Chomsky Normal Form.

$$\begin{aligned} S &\rightarrow AaA \\ A &\rightarrow aaBa \mid CDA \mid CD \\ B &\rightarrow bB \\ C &\rightarrow Ca \mid D \\ D &\rightarrow bD \mid \epsilon \end{aligned}$$

Or

- (b) Design a Turing machine to perform the following function,
 $f(x) = 2x + 2, x > 0$.

15. (a) State and prove the halting problem.

Or

- (b) State whether the instances of the Post Correspondence Problem (PCP) have a solution. The following are the instances with $\Sigma = \{0,1\}$.

Index	List A	List B
1	10	01
2	110	011
3	110	01
4	000	00
5	10	010

In case the PCP has a solution, describe the post-correspondence solution with justification.

PART C — (1 × 15 = 15 marks)

16. (a) Identify the type of grammar as per Chomsky's hierarchy and design an appropriate automation model.

$$\begin{aligned} S &\rightarrow aSBC & S &\rightarrow aBC \\ CB &\rightarrow BC & aB &\rightarrow ab \\ bB &\rightarrow bb & bC &\rightarrow bc \\ cC &\rightarrow dd \end{aligned}$$

Or

- (b) Identify the type of grammar as per Chomsky's hierarchy and design an appropriate automation model.

$$\begin{aligned} S &\rightarrow aSBC & S &\rightarrow aBC \\ CB &\rightarrow BC & aB &\rightarrow ab \\ bB &\rightarrow bb & bC &\rightarrow bcc \\ cC &\rightarrow cccc \end{aligned}$$