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## Question Paper Code: 40957

## B.E./B.Tech. DEGREE EXAMINATION, APRIL/MAY 2018

Fourth Semester
Electronics and Communication Engineering
EC 6403 – ELECTROMAGNETIC FIELDS
(Regulations 2013)

Time: Three Hours

Maximum: 100 Marks

## Answer ALL questions

PART - A

 $(10\times2=20 \text{ Marks})$ 

**(6)** 

(8

- 1. State divergence theorem.
- 2. Write the different coordinate systems.
- 3. Two capacitances  $C_1$  and  $C_2$  are connected in series. Find the equivalent total capacitance.
- 4. What is current density?
- 5. What is vector magnetic potential?
- 6. State Ampere circuital law.
- 7. Define dielectric strength.
- 8. What is ferromagnetic material?
- 9. What is electromotive force?
- 10. Define Poynting's theorem.

PART – B (5×13=65 Marks)

11. a) i) State and prove Stokes theorem. (6)

ii) Derive Electric field intensity due to line charge. (7)

(OR)

b) i) Derive the equation for potential difference to move a point charge in electric field. (7)

ii) Derive the Electric field due to electric dipole.

a coaxial cable.			(13)
•	PR)		
b) Derive the electric fie different dielectrics r	eld boundary condition, when a medium.	a wave travels between two	(13)
3. a) State Biot-Savart's la of a straight current	w and derive the expressions f carrying conductor.	or magnetic field intensity,	
(O	R)		
	field intensity of a circular cu	rrent carrying conductor.	
1. a) Derive the inductance	· ·		(
(O)	· ·		
· ·	n which relates magnetization	and normonhility	<b>/</b> Q\
ii) Explain the differen	nt types of magnetic materials	i	(8) (5)
(OF	•		,
(OF	R) equations in Differential form	and integral form.	,
(OF b) Derive the Maxwell's	R) equations in Differential form PART – C	and integral form. (1×15=15 Mar	ks)
(OF b) Derive the Maxwell's	R) equations in Differential form	and integral form. (1×15=15 Mar	ks)
(OF b) Derive the Maxwell's a) Apply Lorentz force element.	R) equations in Differential form  PART – C equation, to derive the force	and integral form. (1×15=15 Mar	ks)
(OF b) Derive the Maxwell's a) Apply Lorentz force element. (OR	R) equations in Differential form  PART – C equation, to derive the force	and integral form. (1×15=15 Mar on a differential current	
(OF b) Derive the Maxwell's a) Apply Lorentz force element. (OR	equations in Differential form  PART – C  equation, to derive the force  ()  mple, to apply Poisson's and I	and integral form. (1×15=15 Mar on a differential current aplace equation.	
b) Derive the Maxwell's a  a) Apply Lorentz force element.  (OR	equations in Differential form  PART – C  equation, to derive the force  ()  mple, to apply Poisson's and I	and integral form. (1×15=15 Mar on a differential current	
b) Derive the Maxwell's described as Apply Lorentz force element.  (OR b) Illustrate with an example of the content of the con	equations in Differential form  PART – C  equation, to derive the force  ()  mple, to apply Poisson's and I	and integral form. (1×15=15 Mar on a differential current aplace equation.	
b) Derive the Maxwell's described as Apply Lorentz force element.  (OR b) Illustrate with an example of the content of the con	equations in Differential form  PART – C  equation, to derive the force  c)  mple, to apply Poisson's and I	and integral form.  (1×15=15 Mar  on a differential current  aplace equation.	
(OF b) Derive the Maxwell's of a Apply Lorentz force e element.	equations in Differential form  PART – C  equation, to derive the force  c)  mple, to apply Poisson's and I	and integral form. (1×15=15 Mar on a differential current aplace equation.	