## ANNA UNIVERSITY OF TECHNOLOGY, COIMBATORE

B.E. / B.TECH. DEGREE EXAMINATIONS : NOV / DEC 2011

REGULATIONS : 2008

## FOURTH SEMESTER : CIVIL ENGG

## 080100021 - SURVEYING II

Time : 3 Hours

Max. Marks : 100

## PART - A

## $10 \times 2=20$ Marks)

## ANSWER ALL QUESTIONS

## Contd., Q.NO: 11 (a)

| Inst. <br> Station | Height <br> of axis | Staff <br> stations | Vertical <br> angles | Hair readings | Remarks |
| :--- | :--- | :--- | :--- | :---: | :--- |
| P | 1.44 | BM | $-2^{0} 24^{\prime}$ | $1.20,1.83,2.46$ | R.L.of <br> $\mathrm{BM}=37.725 \mathrm{~m}$ |
| P | 1.44 | Q | $+4^{0} 36^{\prime}$ | $1.35,1.82,2.29$ |  |
| Q | 1.41 | R | $+6^{0} 12^{\prime}$ | $0.72,1.38,2.04$ |  |

Compute the elevations of $P, Q$ and $R$ and the horizontal distances $P Q$ and $Q R$ OR
11. (b) A tachometer fitted with an anallatic lens was used to observe the following

| From | Staff <br> Station | Bearing | Vertical <br> Angle | Axial Hair Reading |
| :---: | :---: | ---: | ---: | ---: |
| C | A | $320^{\circ}$ | $+12^{\circ}$ | $0.906,1.728,2.550$ |
| C | B | $50^{\circ}$ | $+10^{0}$ | $0.744,2.199,3.654$ |

The value of the constant was 100 and the staff was held vertically. Determine the length and gradient of $A B$
12.(a) A line was measured on a slope with a 30 m steel tape and its length was found to be 217.47 m . The true length of the tape was 30.007 m at $25^{\circ} \mathrm{C}$. The temperature at the time of measurement was $12^{\circ} \mathrm{C}$ and the following slopes were observed $2^{0} 40^{\prime}$ for $90 \mathrm{~m} ; 1^{0} 30^{\prime}$ for $60 \mathrm{~m} ; 3^{0} 20^{\prime}$ for $60 \mathrm{~m} ; 1^{0}$ for 7.47 m . The coefficient of expansion was $117 \times 10^{-7}$. per $1^{\circ} \mathrm{C}$. Compute the true length of the line assuming the tape to be supported uniformly throughout its length
11. (a)A line was leveled tacheometrically with a tacheometer fitted with an analletic
lens, the value of the constant being 100. The following observations were made, the staff having been held vertically

## (5 x $16=80$ Marks )

## ANSWER ALL QUESTIONS

1. Define movable hair tacheometry
2. What is anallatic lens?
3. Define check base
4. What are the effects of curvature and refraction?
5. What do you understand by normal equation?
6. What is true value of a quantity?
7. Define longitude
8. Define nautical mile
9. What is sounding?
10. What is isocentre?

## PART - B

12.(b) Directions were observed from a satellite station $P, 2.75 \mathrm{~m}$ from station $A$ and the following results were obtained

| Station | Observed direction | Distance in m from A |
| :--- | :---: | :---: |
| A | $0^{\circ} 0^{\prime}$ | 2199 |
| B | $38^{\circ} 48^{\prime}$ | 1895 |
| C | $102^{\circ} 36^{\prime}$ | 2277 |
| D | $256^{\circ} 12^{\prime}$ | 2522 |

Correct the observed directions to those which would have been measured if the transit had been set up at station A.
13.(a) The following values were recorded for a triangle $A B C$, the individual measurements being uniformly precise

$$
\begin{aligned}
& \angle A=62^{\circ} 28^{\prime} 16^{\prime \prime} \text { weight } 6 \\
& \angle B=56^{\circ} 44^{\prime} 36^{\prime \prime} \text { weight } 8 \\
& \angle C=60^{\circ} 46^{\prime} 56^{\prime \prime} \text { weight } 4
\end{aligned}
$$

Find the correct values of the angles
OR
13.(b) The angles $A, B, C$ observed at a station $O$, closing horizon along with their standard errors are given below:

$$
\begin{aligned}
& \left\lfloor A=81^{\circ} 20^{\prime} 18^{\prime \prime} \pm 2^{\prime \prime}\right. \\
& \left\lfloor B=130^{\circ} 40^{\prime} 28^{\prime \prime} \pm 3^{\prime \prime}\right. \\
& \left\lfloor C=147^{\circ} 59^{\prime} 26^{\prime \prime} \pm 4^{\prime \prime}\right.
\end{aligned}
$$

14.(a) A star was observed at western elongation at a station A in latitude $54^{\circ} 30^{\prime} \mathrm{N}$ and longitude $52^{\circ} 30^{\prime} \mathrm{W}$. The declination of the star was $62^{\circ} 12^{\prime} 21^{\prime \prime} \mathrm{N}$ and its ascesion 10 h. 58 m .36 s. , the G.S.T of G.M.N being 4 h .38 m .32 s . The mean observed horizontal angle between the referring object $P$ and the star was $65^{\circ} 18^{\prime} 42^{\prime \prime}$. Find (a) the altitude of the star at elongation, (b) the azimuth of the line AP and (c) the local mean time of elongation.

OR
14. (b) A star was observed for time by equal altitudes when on the prime vertical at a place in latitude $34^{\circ} 20^{\prime} \mathrm{N}$., given that the declination of the star was $+20^{\circ} 30^{\prime} 38^{\prime \prime} .47$ and R.A. 16 h. 51 m. 15.89 s . Determine the altitude when on the prime vertical and local side real times of prime vertical transits.
15. (a) The sides $\hat{A} B$ and $B C$ of a triangle $A B C$ with stations in clockwise order are 2001 m and 3144 m respectively and the angle the angle ABC is $150^{\circ} 24^{\prime}$. Outside this triangle, a station $O$ is established, the stations $B$ and $O$ being on the opposite sides of $A C$. The position of $O$ is to be found by three point-resection of $A, B, C$, the angles AOB and BOC being respectively $24^{\circ} 12^{\prime}$ and $36^{\circ} 6^{\prime}$. Determine the distances OA and OC.

OR
15.(b) An area of $20 \mathrm{~km} \times 10 \mathrm{~km}$ is to be photographed at a scale of 1 in 10000 from air using a camera of focal length 153 mm , the photographs being 23 cm square. A longitudinal overlap of $60 \%$ and a lateral overlap of $30 \%$ is to be provided. The flying speed of the aircraft is $220 \mathrm{~km} / \mathrm{hr}$. Find (1) the flying height of the air craft and (2) the number of photo prints required to cover the area.

