		Reg. No. :		
Question Paper Code: 50051				
		B.E./B.Tech. DEGREE EXAMINATIONS, APRIL/MAY 2023.		
		Fifth Semester		
		Artificial Intelligence and Data Science		
		AD 8501 – OPTIMIZATION TECHNIQUES		
		(Regulations 2017)		
Time	Fime: Three hours Maximum: 100 marks			
		Answer ALL questions.		
		PART A — $(10 \times 2 = 20 \text{ marks})$		
1.	Define LPP.			
2.	Why we use dual simplex method?			
3.	What is transportation problem and its application?			
4.	What is an example of a feasible solution?			
5.	What is an example of a PERT estimate?			
6.	What is an example of CPM?			
7.	What is Newton-Raphson method?			
8.	What is equality constraints and inequality constraints?			
9.	What are the three types of queuing systems?			
10.	What is the single channel model?			
		PART B — $(5 \times 13 = 65 \text{ marks})$		
11.	(a)	Solve the following linear programming problem using the graphical method.		
		Minimize: $Z = 5x + 4y$		
		$4x + y \ge 40,$ $2x + 3y \ge 90,$		

 $x, y \ge 0$

(b) Using the simplex method in LPP solve the linear programming problem Minimize $Z = x_1 + 2x_2 + 3x_3$

$$x_1 + x_2 + x_3 \le 12$$
$$2x_1 + x_2 + 3x_3 \le 18$$
$$x_1, x_2, x_3 \ge 0$$

12. (a) Find solution using Branch and Bound method

$$MAX Z = 3x_1 + 5x_2$$

Subject to

$$2x_1 + 4x_2 \ll 25$$

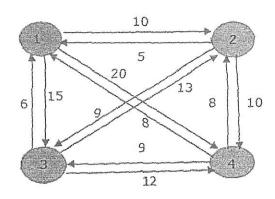
 $x_1 <= 8$

$$2x_2 <= 10$$

and $x_1, x_2 >= 0$

Or

(b) Solve the travelling salesman problem for the given graph.



13. (a) Explain in detail about the PERT chart and their steps involved for optimising the task to find the Red Color Ball from a Wooden Box. (13)

Or

(b) Determine the critical path, the critical activities and the project completion time.

Activity	Predecessor Activity	Duration (Weeks)
A	E	3
В	A	5
\mathbf{C}	A	7
D	В	10
E	C	5
F	D,E	4

- 14. (a) Sufficient condition for a stationary point X_o to be an extremum is that the Hessian matrix H evaluated at X_o satisfy the following conditions:
 - (i) H is positive definite if X_o is a minimum point. (6)
 - (ii) H is negative definite $I fX_0$ is a maximum point. (7)

Or

- (b) Explain Constrain problems with example.
- 15. (a) Explain in detail about multi-channel Queuing problem.

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- (b) (i) What is Queuing Theory? (Definition And Characteristics) (7)
 - (ii) Standard Notation of Queuing Theory. (6)

PART C —
$$(1 \times 15 = 15 \text{ marks})$$

6. (a) Orania Toys specializes in two types of wooden soldiers: Boer soldiers and British soldiers. The profit for each is R 28 and R 30, respectively. A Boer soldier requires 2 units of lumber, 4 hours of carpentry, and 2 hours of finishing to complete. A British soldier requires 3 units of lumber, 3.5 hours of carpentry, and 3 hours of finishing to complete. Each week the company has 100 units of lumber delivered and there are 120 hours of carpentry time and 90 hours of finishing time available. Determine the weekly production of each type of wooden soldier which maximizes the weekly profit.

Or

(b) A company produces two types of cricket hats. Each hat of the first type requires twice as much labor time as the second type. If all hats are of the second type only, the company can produce a total of 500 hats a day. The market limits daily sales of the first and second types to 150 and 250 hats, respectively. Assume that profits per hat are \$8 for type 1 and \$5 for type 2. Determine the number of hats to be produced of each type in order to maximize profits. Use the simplex method. Let x₁ be the number of cricket hats of type 1, and x₂ be the number of cricket hats of type 2.